

- determine and interpret an "Average Rates of Change"
- determine and interpret an "Instantaneous Rate of Change"
- analyse and interpret rates of change graphically.
- determine the slope and equation of the tangent to a "general function", $f(x)$

Knowledge and Skills	I have reviewed it.	I have done a question.			
1) Position / Amount Ex. $d(6) = ?$					
2) Average Rate Of Change $= \frac{\Delta y}{\Delta x}$					
<p>3) Instantaneous Rate of Change = slope of secant PQ as $Q \rightarrow P$</p> <p>For non-polynomials:</p> <table border="1" style="margin-left: auto; margin-right: auto;"> <tr> <td style="padding: 5px;">$P(x, y)$</td> <td style="padding: 5px;">$Q(x + h, y)$</td> <td style="padding: 5px;">Slope of Secant PQ</td> </tr> </table> <p style="text-align: center;">(choose 3 points below, 1 above)</p>	$P(x, y)$	$Q(x + h, y)$	Slope of Secant PQ		
$P(x, y)$	$Q(x + h, y)$	Slope of Secant PQ			
<p>For polynomials:</p> <p>Instantaneous Rate of Change $= \lim_{h \rightarrow 0} \frac{f(x+h) - f(x)}{h}$</p>					
<p>For a "general function", $f(x)$</p> <p>slope of the tangent = slope of the secant PQ as $Q \rightarrow P$</p> <p style="text-align: center;">OR</p> <p>slope of the tangent $= \lim_{h \rightarrow 0} \frac{f(x+h) - f(x)}{h}$</p>					
<p>Proper Rate of Change Final Statement:</p> <p>(a) Velocity questions - since velocity is a special rate which describes the change in distance versus change in time we generally state:</p> <p>\therefore the velocity is <u>positive value</u> <u>correct units</u> <u>direction</u></p> <p>Ex. \therefore the velocity is <u>62.5 kilometres per hour</u> <u>left</u></p> <p>(b) For other rate questions we generally state:</p> <p>\therefore the <u>thing that's changing</u> is (increasing or decreasing) at <u>positive value</u> <u>correct units</u></p> <p>Ex. The <u>mass</u> is decreasing at <u>5.77 milligrams per minute</u>.</p>					
Find equation of the tangent to $f(x)$ at $x =$					
"Story Graphs" (Hot Wheels)					
- interpret a graph					
- create a graph					