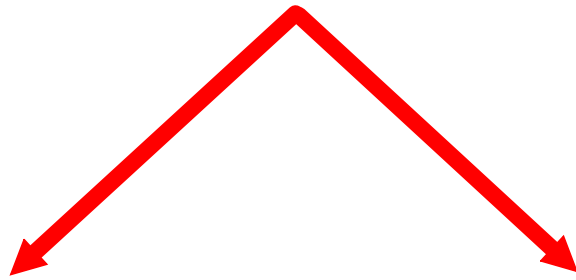




Mechanical Energy



**Energy of motion :
Kinetic Energy**

$$E_k = \frac{1}{2} m v^2$$

this is the energy an object has due to its speed relative to a being at rest

**Energy of position :
Gravitational Potential Energy**

$$E_g = mgh$$

this is the potential energy an object has at a height relative to fixed reference point.

Warmup / Practice

How fast is a baseball traveling if it has 150 Joules of kinetic energy (the mass of a standard baseball is 145grams)?



→ $V = ?? \text{ m/s}$



Warmup / Practice

How fast is a baseball traveling if it has 150 Joules of kinetic energy (the mass of a standard baseball is 145grams)?



→ $V = ?? \text{ m/s}$

$$\left. \begin{array}{l} m = 0.145 \text{ kg} \\ E_k = 150 \text{ J} \end{array} \right\} \text{Givens}$$

Velocity Unknown

$$\times 2 \quad E_k = \frac{1}{2} m v^2 \quad \times 2$$

$$m) \quad 2E_k = m v^2 \quad /m$$

$$\frac{2E_k}{m} = v^2$$

$$v = \sqrt{\frac{2E_k}{m}}$$
$$= 45 \text{ m/s}$$

Conservation of Energy

Energy can neither be created nor destroyed.

It can only change forms or be transferred from one object to another.

$$E_{Ti} = E_{Tf}$$

T- total
i- initial
f- final

Mechanical Energy

(E_g, E_k)

$$E_{gi} + E_{ki} = E_{gf} + E_{kf}$$

assuming no losses due to friction

Leviathan



306'



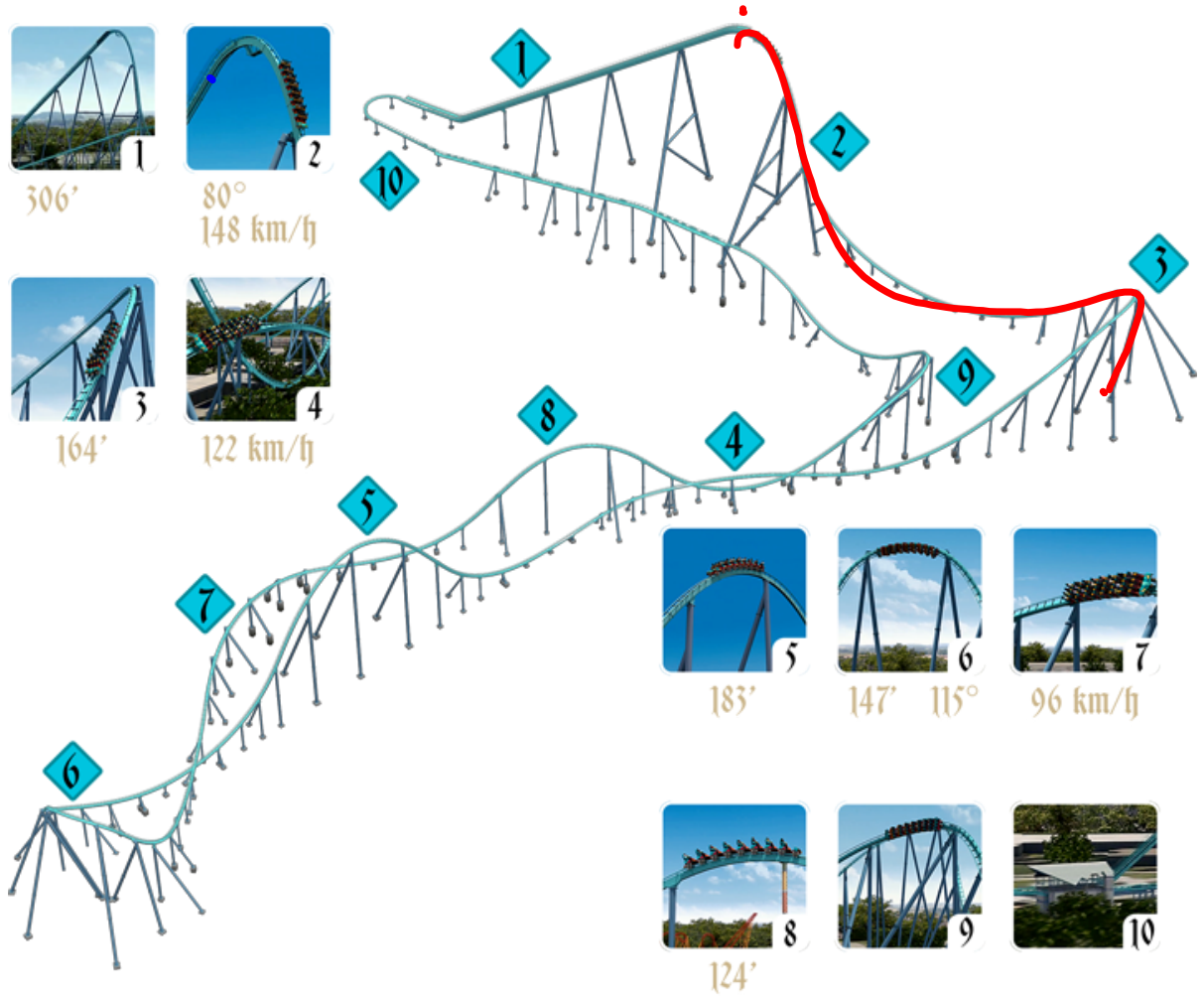
80°
148 km/h



164'



122 km/h



183'



147' 115°



96 km/h



124'

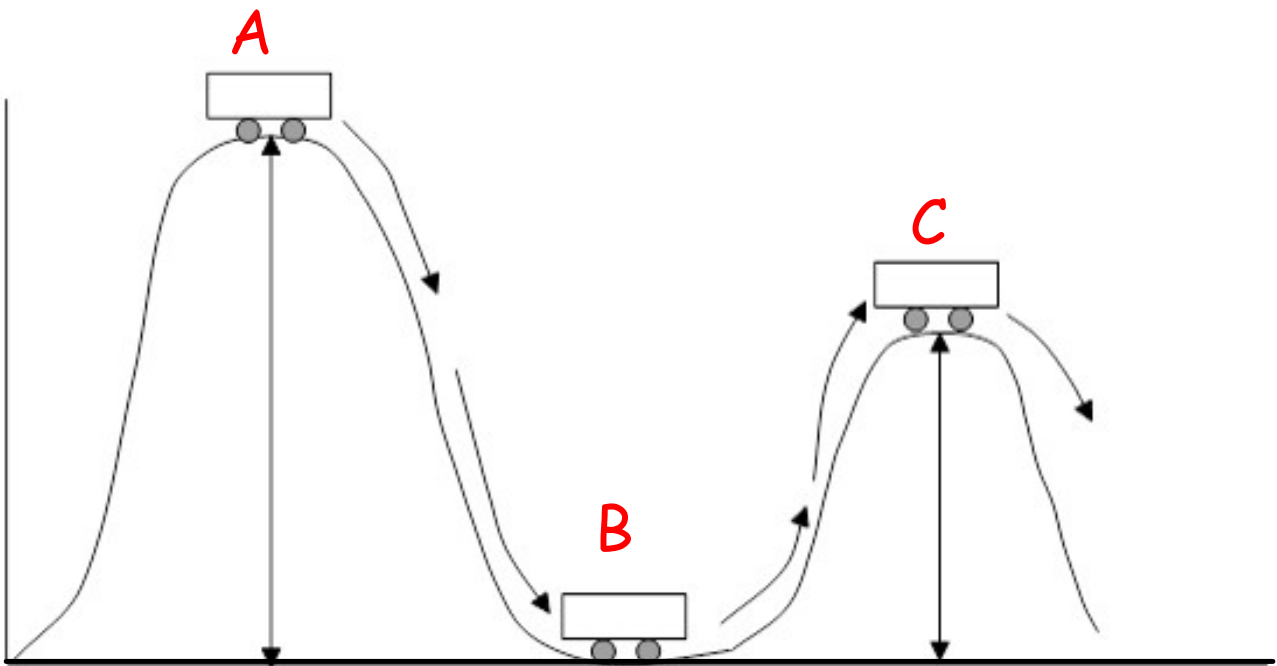


10

Leviathan

Solve for total energy at Points A, B and C and find the velocity at Points B & C.

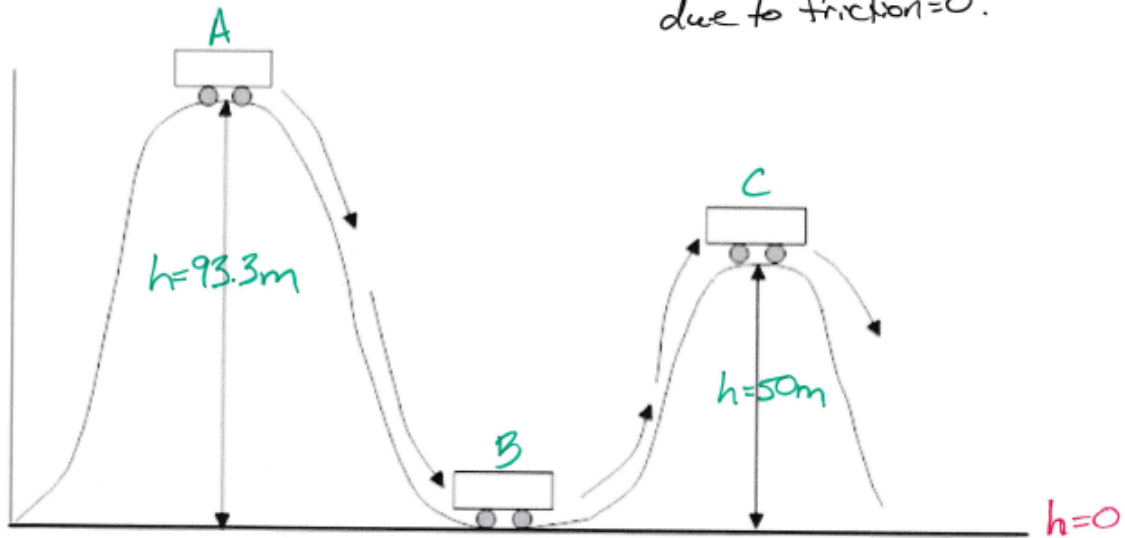
You can assume the velocity at point A is zero and that there are no losses due to friction.



Leviathan

initial velocity = 0 m/s
 m = 500 kg

*assume losses due to friction = 0.



E_k	0	457000 J	212000 J
E_g	457000 J	0	245000 J
E_T	457000 J	457000 J	457000 J
$E_g = mgh$			$E_g = mgh = 245000$
$v_A = 0 \text{ m/s}$		$v = \sqrt{\frac{2E_k}{m}}$ = 42.8 m/s	$v = \sqrt{\frac{2E_k}{m}}$ = 29.1 m/s