MCR 3UI

UNIT 3: Review for Quiz

1. Circle the number of the transformation in function notation (see below) that matches the description of the transformations (a) - (e).

۵)	f(x) translated right 3	1	2	3	4	5	6	7	8
b)	f(x) translated up 3	1	2	3	4	5	6	7	8
c)	f(x) translated								
	down 3 and right 2	1	2	3	4	5	6	7	8
d)	f(x) translated								
	down 3 and left 2	1	2	3	4	5	6	7	8
e)	f(x) reflected in the y-axis	1	2	3	4	5	6	7	8
f)	f(x) reflected in the x-axis	1	2	3	4	5	6	7	8

1.	y = f(-x)	2. $y = -f(x)$	3.	y = f(x - 3)	4.	y = f(x + 3)
5.	y = f(x) + 3	6. $y = f(x-2)-3$	7.	y=f(x+2)-3	8.	y = f(x - 3) - 2

 State whether each relation below represents a function. Explain your reasoning. (Vertical line test is ONLY a valid reason if you provide a graph) Also, determine the domain and range for each relation.

a) $\{(1, 2), (2, 3), (2, -1), (4, -1)\}$	b) $y = x$	c) x = -5	d) y = 7
 Is a function 	Is a function	Is a function	Is a function
 Is not a function 	Is not a function 🛛 🗆	Is not a function 🛛	Is not a function
Reasoning:	Reasoning:	Reasoning:	Reasoning:

d) $x^2 + y^2 = 49$ e) $y = (x + 3)^2 + 4$ f) $f(x) = \sqrt{x+1}$ \Box Is a function \Box Is a function \Box Is a function \Box Is not a function \Box Is not a function \Box Is not a function

Reasoning:

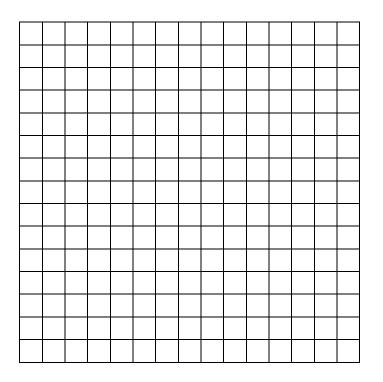
Reasoning:

3. Given f(x) = 5 - 4x, find a) f(2) b) -f(3)

Reasoning:

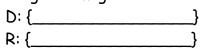
c) x when f(x) = 10

- Let $f(x) = \sqrt{x+1}$ 4.
 - a) Determine the new image <u>equation</u> if y = f(x+2) 4.
 - b) Sketch a graph of $f(x) = \sqrt{x+1}$ and y = f(x+2) 4 on the same grid. Label each curve.



c) State the domain and range of the original image, $f(x) = \sqrt{x+1}$ and the transformed image, y=f(x+2)-4.

Original Image



Transformed Image

D: {	}
R: {	}

d) If the original image, $f(x) = \sqrt{x+1}$ was transformed to y = f(-x) state its new domain and range. D: {_____} R: {_____}



5. If $f(x) = \frac{1}{x-2} + 5$, state the domain, range and the equations of the asymptotes.

Vertical Asymptote:

Horizontal Asymptote: _____ _____

D: {_____} R: {_____}