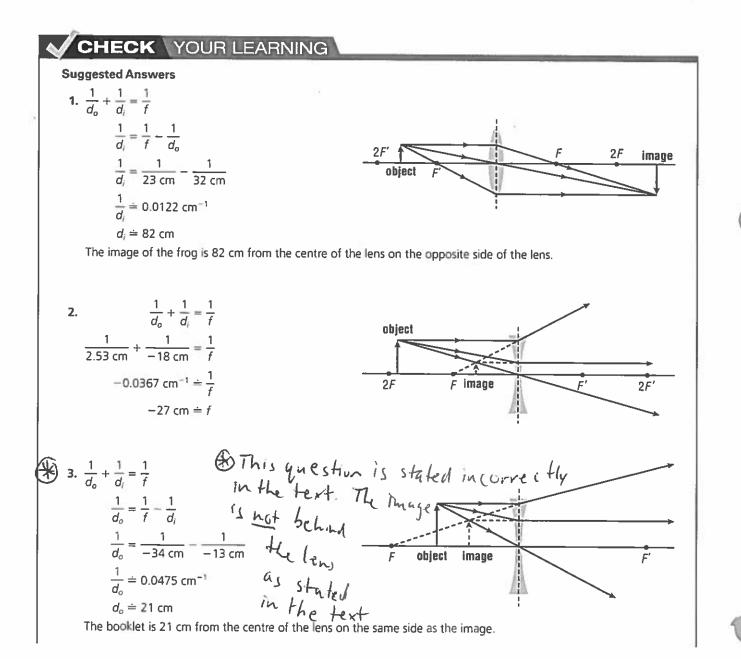
Learning Tip Does it Make Sense?

Explain to students that they can always make sure their answer makes sense by substituting it into the original equation and testing it. If it does not work, encourage them to try to see if it is too high or too low, or in the wrong form. Students should then go back and find out where they went wrong.

Extend and Assess

- Wrap up the lesson by asking questions based on Table 1. Ask, *If the image distance*, d₁, *is positive, is the image real or virtual?* (real) *On which side of the lens is the image?* (opposite side) *If the image distance*, d₁, *is negative, is the image real or virtual?* (virtual) *On which side of the lens is the image?* (same side) Repeat with similar questions, covering the height of the object and image, focal length, and magnification. It may be helpful to draw diagrams demonstrating each of the scenarios being addressed so that students can better connect the quantities with what they represent.
- You may wish to distribute *BLM 13.4-1 Lens Equations* to students. This BLM contains questions to help students correctly use the equations from this section and contains additional problems for practice in using the equations.
- Have students complete the Check Your Learning questions on page 566 of the Student Book.



4.
$$\frac{1}{d_c} + \frac{1}{d_l} = \frac{1}{t}$$

 $\frac{1}{d_l} = \frac{1}{t} - \frac{1}{d_c}$
 $\frac{1}{d_l} = \frac{1}{t} - \frac{1}{d_c}$
 $\frac{1}{d_l} = -0.0284 \text{ cm}^{-1}$
 $\frac{1}{d_l} = -0.0284 \text{ cm}^{-1}$
 $\frac{1}{d_l} = -0.0284 \text{ cm}^{-1}$
 $\frac{1}{d_l} = -35 \text{ cm}$
The image will be 35 cm from the lens on the same side as the object.
5. (a) $M = \frac{h_1}{h_0}$
 $= \frac{-35}{12}$
 $= -2.9$
(b) The image is real.
6. $M = \frac{h_1}{h_0}$
 $= \frac{-7.9}{14}$
 $= -0.56$
7. (a) $M = \frac{h_1}{h_0}$
 $= \frac{1.3}{2.8}$
 $= 0.46$
(b) The image is upright.
8. (a) $M = -\frac{d_1}{d_0}$
 $= -5.6(9.4 \text{ cm})$
 $= -0.0875 \text{ cm}^{-1} = \frac{1}{t}$
 $= -0.0875 \text{ cm}^{-1} = \frac{1}{t}$
 $= -0.0875 \text{ cm}^{-1} = \frac{1}{t}$
 $= 1 \text{ cm} = t$

(c) The lens is converging because it has a positive focal length. Also, only a converging lens can produce a virtual image that is larger than the original object. A diverging lens always produces a virtual image that is smaller than the original object.